Daily Tutorial Sheet 10

Level - 2 | JEE Advanced Pattern

$$\begin{aligned} \textbf{116.(B)} & \quad k_B = A e^{-E_A/RT} = 10^{12} \times 4.35 \times 10^{-8} = 4.35 \times 10^4 \, s^{-1} \\ & \quad \text{Also, equilibrium constant} = \frac{k_A}{k_B} = 10^4 \qquad \qquad \therefore \qquad \quad k_A = k_B \times 10^4 = 4.35 \times 10^8 \, s^{-1} \end{aligned}$$

$$\begin{aligned} \textbf{117.(C)} & & - \left(\frac{dN}{dt} \right)_o = kN_o \\ & & - \left(\frac{dN}{dt} \right) = kN \quad \text{and} \qquad N = N_o e^{-kt} \\ & & \therefore \qquad - \left(\frac{dN}{dt} \right) = kN_o e^{-kT} = - \left(\frac{dN}{dt} \right)_o e^{-kT} \end{aligned}$$

118.(A)
$$k = \frac{1}{t} \left[\frac{1}{a - x} - \frac{1}{a} \right] = \frac{1}{t} \frac{x}{(a - x)(a)}$$

$$k = \frac{1}{t} \frac{x}{[A][A_o]} \qquad \therefore \qquad x = kt[A][A_o]$$
Also, $k = \frac{1}{t} \left[\frac{1}{[A]} - \frac{1}{[A_o]} \right] \qquad \Rightarrow kt = \frac{1}{[A]} - \frac{1}{[A_o]} \qquad \Rightarrow kt + \frac{1}{[A_o]} = \frac{1}{[A]}$

$$\therefore \qquad \frac{kt[A]_o + 1}{[A_o]} = \frac{1}{[A]} \qquad \therefore \qquad [A] = \frac{[A_o]}{kt[A_o] + 1} \qquad \therefore \qquad x = \frac{kt[A_o]^2}{kt[A_o] + 1} \quad (As \ [A] = [A_o] - x)$$

- **119.(A)** $k_1 = \frac{2.303}{t} \log \cdot \frac{100}{50}$; $k_2 = \frac{2.303}{t} \log \frac{100}{4}$; $\frac{k_2}{k_1} = \frac{\log 25}{\log 2} = 4.6$
- **120.(B)** In a Pseudo-unimolecular reaction we have two different reactants, out of which one is in excess amount.
- **121.(6)** as $2t_{1/2} = 12 \text{ min}$ \therefore $t_{1/2} = 6 \text{ min}$
- 122.(B) $k_{500} = Ae^{-Ea/500R}$; $k_{400} = Ae^{-(E_a 20)/400R}$ Since $k_{500} = k_{400} \left(\because \frac{d[A]}{dt} \Big|_{500K} = \frac{d[A]}{dt} \Big|_{400K} \right)$ $\therefore e^{-E_a/500R} = e^{-(E_a - 20)/400R} \Rightarrow \frac{Ea}{500R} = \frac{E_a - 20}{400R} \Rightarrow E_a = 100kJ / mol$
- **123.(B)** Based on (A), rate is independent of (A) and when (B) is doubled, rate is also doubled. Thus, for forward reaction rate law = $k_1[A]^\circ = k_1$ and for backward reaction rate law = $k_2[B]$ Thus, net rate = $k_1 k_2[B]$

$$\begin{aligned} &\textbf{124.(A)} & \quad k = 8.0 \times 10^{-15} \text{ cm}^3 \text{ molecule}^{-1} \, s^{-1} \\ &= \frac{8.0 \times 10^{-15}}{1000} \text{dm}^3 \text{ molecule}^{-1} \, s^{-1} = \frac{8.0 \times 10^{-15}}{1000} \text{dm}^3 \text{ molecule}^{-1} \, s^{-1} = 4.8 \times 10^6 \text{ cm}^3 \text{ mol}^{-1} \, s^{-1} \\ & \quad \left(1 \text{cm} = \frac{1}{10} \text{cm} \right. \\ & \quad \left. 1 \text{molecule} = \frac{1}{N_0} \text{mol} = \frac{1}{6.0 \times 10^{23}} \text{mol} \right. \\ & \quad \left. \therefore \frac{1}{\text{molecule}} = \frac{6.0 \times 10^{23}}{\text{mol}} \right. \end{aligned}$$

125.(C) Rate = $k[conc.]^n$, n = order